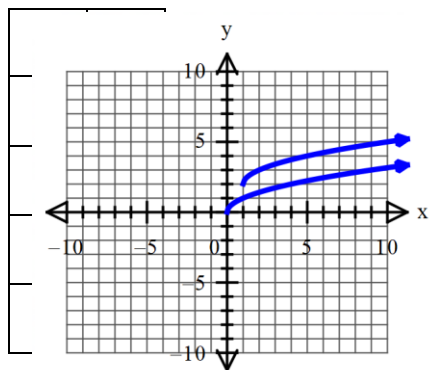
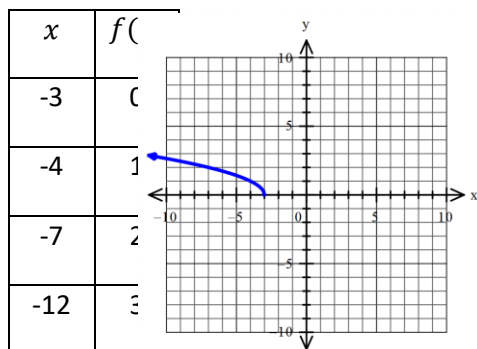


SM2H 1.4 answers 2019-2020

1. $a=3, b=5, h=6, k=8$
2. $a=1, b=1, h=-4, k=-2$
3. $a=-2$ or $2, b=1, h=0, k=7$
4. $a=1, b=1, h=0, k=0$
5. $a=1$ or $-1, b=1$ or $-1, h=-2, k=0$
6. $a=12, b=3$ or $-3, h=0, k=-6$
7. vertical stretch by 3
horizontal shrink by $\frac{1}{5}$
right 6
up 8
8. reflection over x-axis
left 2
up 5
9. left 4
10. reflection over the y-axis
horizontal shrink by $\frac{1}{10}$
11. reflection over the y-axis
vertical shrink by $\frac{1}{2}$
12. reflection over the x-axis
horizontal stretch by 3
left 2
down 9
13. Transformations: translate right 1, up 2
Endpoint: $(1, 2)$



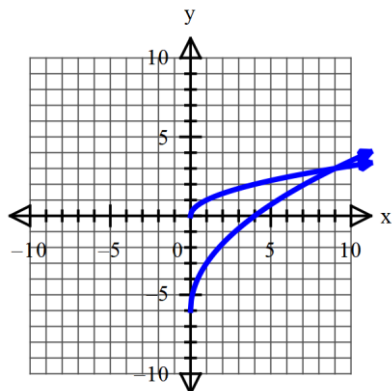
14. Transformations: reflect over y-axis, translate left 3
Endpoint: $(-3, 0)$



15. Transformations: vertical stretch of 3, translate down 6

Endpoint: $(0, -6)$

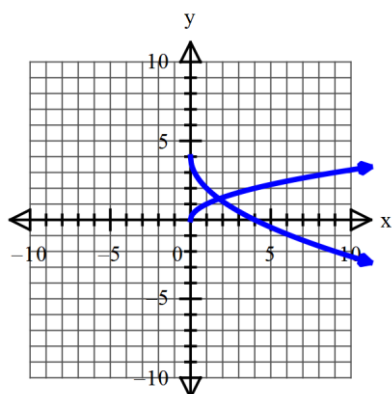
x	$f(x)$
0	-6
1	-3
4	0
9	3



16. Transformations: reflect over x-axis, vertical stretch of 2, translate up 4

Endpoint: $(0, 4)$

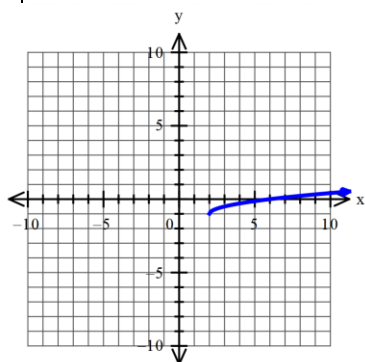
x	y
0	4
1	2
4	0
9	-2



17. Transformations: vertical shrink of $\frac{1}{2}$, translate right 2, down 1

Endpoint: $(2, -1)$

x	$f(x)$
2	-1
3	$-\frac{1}{2}$
6	0
11	$\frac{1}{2}$



18. #13 Domain: $[1, \infty)$ Range: $[2, \infty)$
#14 Domain: $(-\infty, -3]$ Range: $[0, \infty)$
#15 Domain: $[0, \infty)$ Range: $[-6, \infty)$
#16 Domain: $[0, \infty)$ Range: $(-\infty, 4]$
#17 Domain: $[2, \infty)$ Range: $[-1, \infty)$

19. Any answer they put is ok; since this is the first day it does not need to be specific. By the third day it should be accurate.

Here are possible solutions:

- h and k moves the endpoint
- a makes the graph flip over
- a makes the graph shorter or fatter
- a makes the graph bigger or smaller
- h moves endpoint right or left
- k moves endpoint up or down

20. graphs can look different

21. graphs can look different

22. Domain: $[-4, 4) \cup (4, \infty)$ Range: $(-\infty, 6)$

23. picture

24. A. $y = \sqrt{x} + 1$

B. $y = \sqrt{x - 3}$

C. $y = \sqrt{x + 4} - 2$

D. $y = \sqrt{x - 2} + 7$

25. $y = x + 5$

$y = -x$

$y = 4x + 3$

$y = \frac{1}{2}x + 8$